

Steinhausen: Pionier der adjungierten Modellierung

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Sensitivity of the Seasonal Cycle of CO₂ at Remote Monitoring Stations With Respect to Seasonal Surface Exchange Fluxes Determined With the Adjoint of an Atmospheric Transport Model

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Abstract. The adjoint model to a global three-dimensional atmospheric transport model can be used to efficiently perform a sensitivity analysis, i.e. the computation of the partial derivatives of a particular model output feature with respect to many control variables. We demonstrate this approach by investigating the dependence of the magnitude of the modeled seasonal cycle of CO₂ at remote monitoring stations with respect to the magnitudes of the seasonal cycle of the net CO₂ surface fluxes prescribed from a simple diagnostic terrestrial biosphere model. The technique results in global maps of those source regions that predominately influence the magnitude of the seasonal cycle at the different monitoring stations. ©1997 Elsevier Science Ltd

tion. However, often the inverse problem is of even greater interest: given observations of the CO₂ concentration at particular monitoring sites, what is the range of possible surface source configurations that are compatible with the data? This problem requires the application of numerical inversion techniques, such as the "synthesis inversion" (Enting et al., 1995) or the adjoint technique (Steinhausen, 1979; Marchuk, 1995).

Here we demonstrate an application of the adjoint model to a three-dimensional transport model as tool for sensitivity analysis. The adjoint model can efficiently compute the partial derivatives of an observational feature

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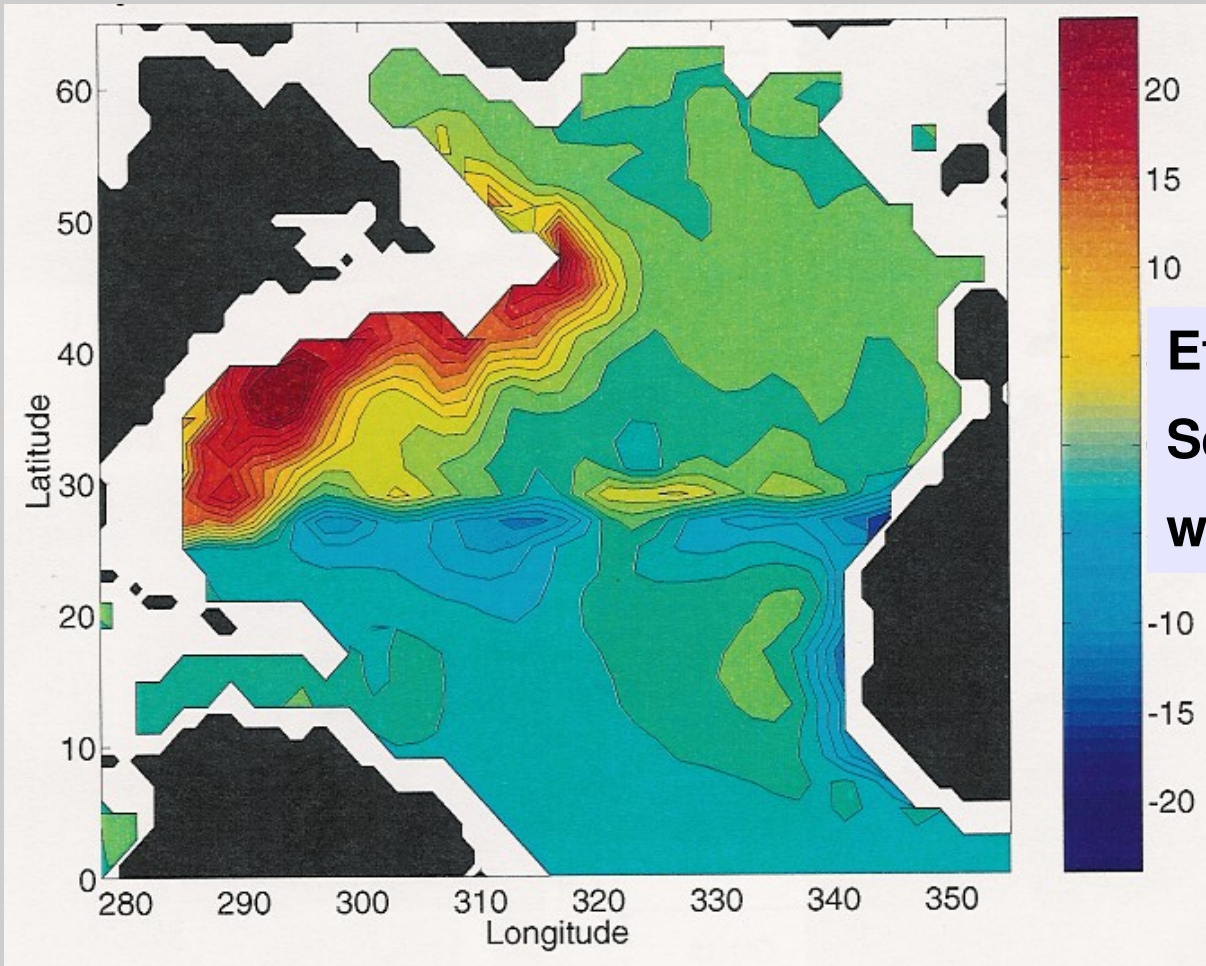




Das Schmuckstueck



Adjoint for Sensitivity Analysis



**Efficient Tool for providing
Sensitivity of few target values
wrt many input values**

Figure: Matrotzke et al. (1999)

Parameter estimation and uncertainty propagation

Powerful tool for parameter estimation (assimilation) and uncertainty propagation

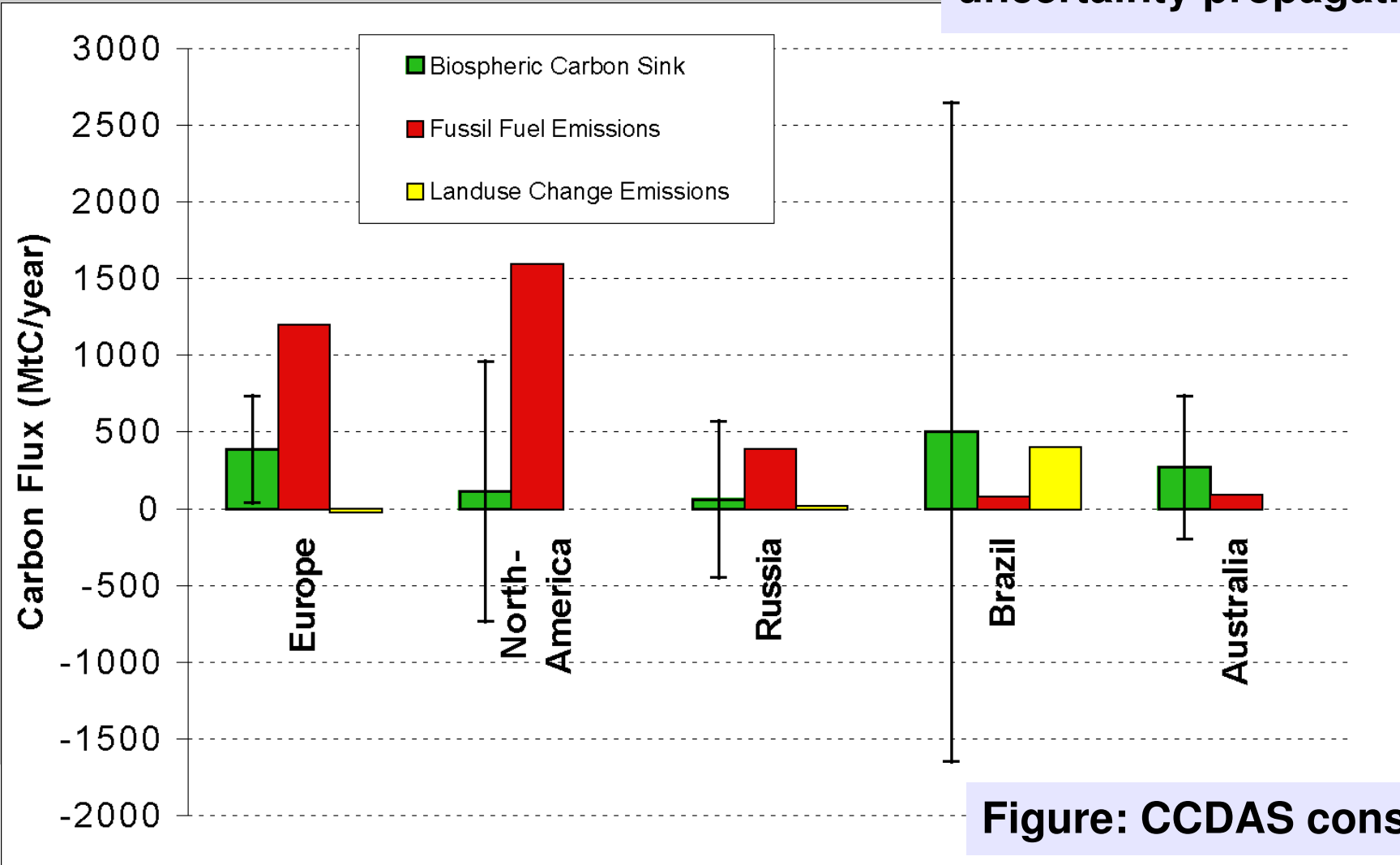
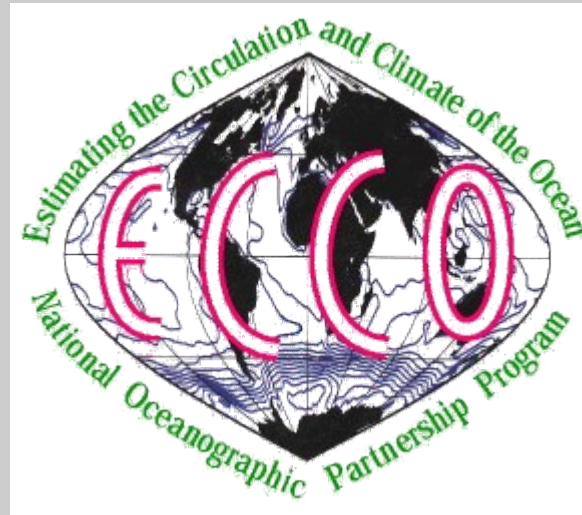


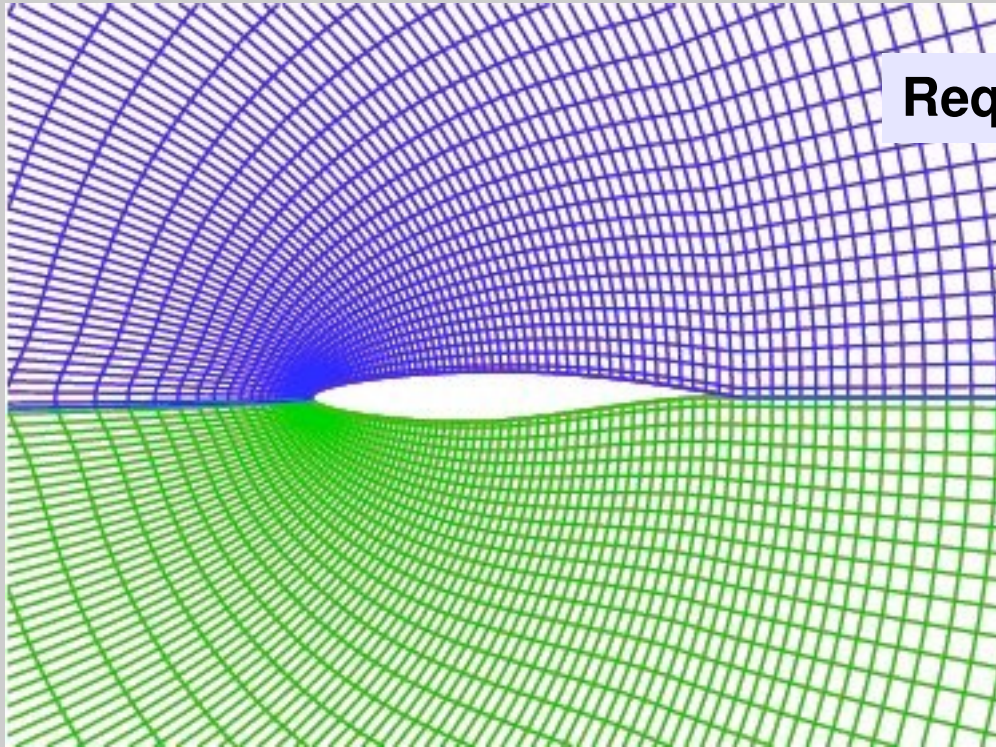
Figure: CCDAS consortium



No photo of ECCO consortium available!



Shape Optimisation / Design



Requires sensitivities of grid

Similar:

Sensitivities wrt to bottom topography by Losch and Heimbach (2006)

Figure: Gauger (2004)



Hedge Sensitivities

$$\frac{\partial V}{\partial t} + rS \frac{\partial V}{\partial S} + \frac{1}{2} \sigma^2 S^2 \frac{\partial^2 V}{\partial S^2} = rV$$

Black and Scholes (1973)

V: value of option
 S: spot price of underlying
 : volatility

S	V	Delta=dV/dS	Gamma=d2V/dS2	speed=dGamma/dS	Vega=dV/dsigma	d2V/dSdsigma	dGamma/dsigma
30	0.09	0.05	0.03	0.01	2.32	0.96	0.23
33	0.41	0.17	0.06	0.01	6.01	1.39	0.00
36	1.22	0.37	0.07	0.00	9.65	0.88	-0.32
39	2.68	0.60	0.07	0.00	10.68	-0.20	-0.34
42	4.76	0.78	0.05	-0.01	8.81	-0.93	-0.13
45	7.29	0.90	0.03	-0.01	5.76	-1.01	0.06
48	10.08	0.96	0.01	0.00	3.12	-0.72	0.11
51	12.99	0.98	0.01	0.00	1.45	-0.40	0.09
54	15.96	0.99	0.00	0.00	0.60	-0.19	0.05

Summary

Questions:

- Was hat's gebracht?
- Korrumpiert?

Other companies founded by former colleagues:

- <http://mikan.nc> and NC Raceboats
- <http://georgbarzel.de>
- <http://oasys-research.de>

Cast



**Olivier Talagrand
as S.W. Steinhausen**



**Andre Kostolany
as late Steinhausen**